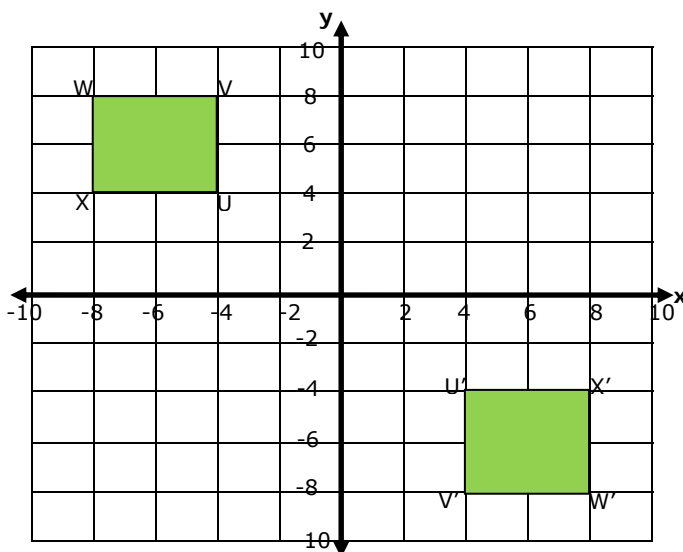


**Transformations within a Plane - Guided Lesson Explanation:****Explanation#1**

A rotation turns a figure around a fixed point.

$180^\circ$  is  $\frac{1}{2}$  of a full turn. The rotation will turn the rectangle  $\frac{1}{2}$  of a full turn in the counter-clockwise direction.

Rotate point X(-8, 4)  $180^\circ$  counterclockwise around the origin. The point will move from Quadrant IV to Quadrant II. To find the exact location, imagine (0, 0) and E forming opposite corners of a box. Rotate the box, keeping the (0, 0) corner fixed.



Now rotate point U(-4, 4)  $180^\circ$  counterclockwise around the origin. The point will move from Quadrant IV to Quadrant II. Again, imagine a box to find the exact location.

Now rotate points V(-4, 8) and W(-8, 8)  $180^\circ$  counterclockwise around the origin.

The rotated points form a rectangle, UVWX, congruent to U'V'W'X'.



Name \_\_\_\_\_

Date \_\_\_\_\_

**Explanation#2**

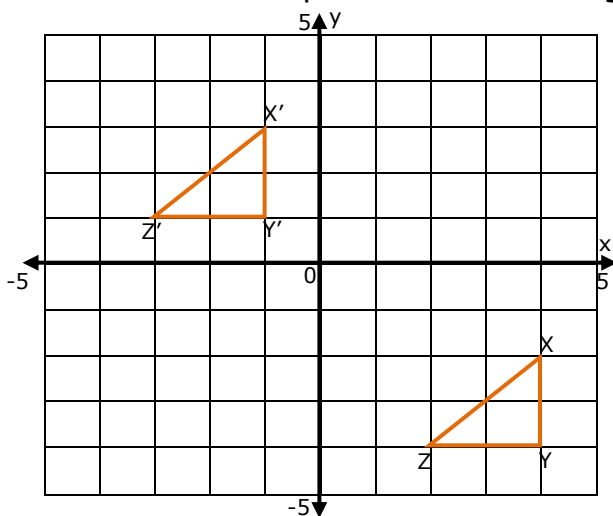
A translation slides a figure to a different location.

Move point  $X(4, -2)$  left 5 units and up 5 units.  $X'$  has coordinates  $(-1, 3)$ .

Now move point  $Y(4, -4)$  left 5 units and up 5 units.  $Y'$  has coordinates  $(-1, 1)$ .

Now move point  $Z(2, -4)$  left 5 units and up 5 units.  $Z'$  has coordinates  $(-3, 1)$ .

The translated points form a triangle congruent to  $\triangle XYZ$ .



Since you moved each vertex left 5 units and up 5 units, you can find the new vertices by subtracting 5 from each x-coordinate and subtracting 5 from each y-coordinate.

Write the coordinates of the vertices using arrow notation:

$$X(4, -2) \longrightarrow X'(-1, 3)$$

$$Y(4, -4) \longrightarrow Y'(-1, 1)$$

$$Z(2, -4) \longrightarrow Z'(-3, 1)$$



Name \_\_\_\_\_

Date \_\_\_\_\_

### Explanation#3

A translation slides a figure to a different location.

Graph the image of O (4, -6).

This means to move the dot 10 units left, as you will see below.

