

Using Sine and Cosine - Guided Lesson Explanation**Explanation # 1**

We have write down known. Low of cosines substitute simplify.

Isolate cos A find the inverse.

$$P = 17, Q = 21, R = 13$$

$$a^2 = b^2 + c^2 - 2bc \cos A$$

$$(17^2) = (21^2) + (13^2) - 2(21)(13) \cos A$$

$$(289) = 441 + 169 - (546)$$

$$289 = 610 - 546$$

$$-321 = -546$$

$$\frac{321}{546} = \cos A$$

$$m\angle A = 53.99^\circ$$

Explanation # 2

We have write down what is known. Alternative forms of Law of cosine can be substituted.

$$e = 13, f = 24, \angle g = 114^\circ$$

$$g^2 = e^2 + f^2 - 2ef \cos G$$

$$g^2 = (13)^2 + (24)^2 - 2(13)(24) \cos c$$

$$g^2 = 169 + 576 - 624$$

$$\sqrt{g^2} = \sqrt{169 + 567 - 624 \cos 114^\circ}$$

$$g = \sqrt{169 + 576 - (624 \times -.4067)}$$

$$g = \sqrt{169 + 576 + 253.78}$$

$$g = 31.60$$



Explanation #3

We need to find 1) angle P 2) length of PR 3) length of PQ

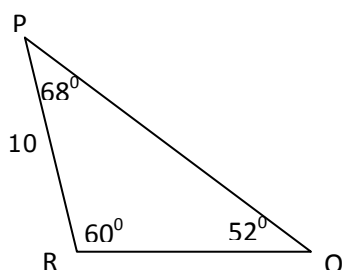
Start with the missing angle:

$$\angle P + \angle Q + \angle R = 180^\circ$$

$$\angle P + 52^\circ + 60^\circ = 180^\circ$$

$$\angle P + 112^\circ = 180^\circ \text{ (Subtract } 72^\circ \text{ from both sides)}$$

$$\angle P = 68^\circ$$



The law of sine is based on the proportionality of side and angle in triangle. The law states that for the angle of a non right angle, each angle of the triangle has the same ratio of angle measure to sine value.

$$\frac{\sin(P)}{p} = \frac{\sin(Q)}{q} = \frac{\sin(R)}{r}$$

Substitute the known value into the law of sine to find PR.

$$\frac{\sin(68)}{p} = \frac{\sin(52)}{10}$$

Solve the equation for RQ or p

$$RQ = 11.77$$

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$$\frac{\sin(P)}{p} = \frac{\sin(Q)}{q} = \frac{\sin(R)}{r}$$



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Substitute the known value into the law of sine to find PQ.

$$\frac{\sin(68)}{11.77} = \frac{\sin(60)}{r}$$

Solve the equation for PQ or r.

$$PQ = 10.99$$

