

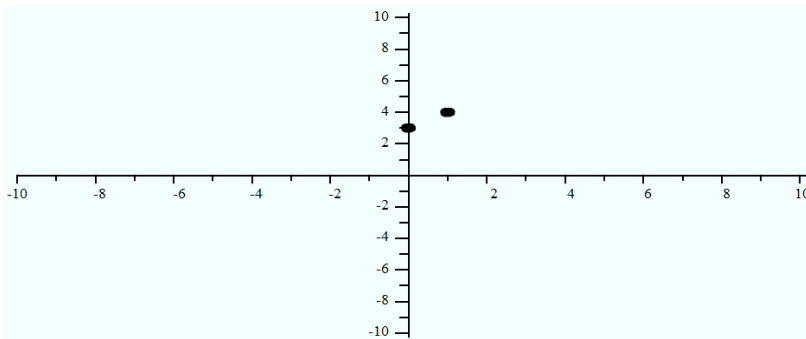
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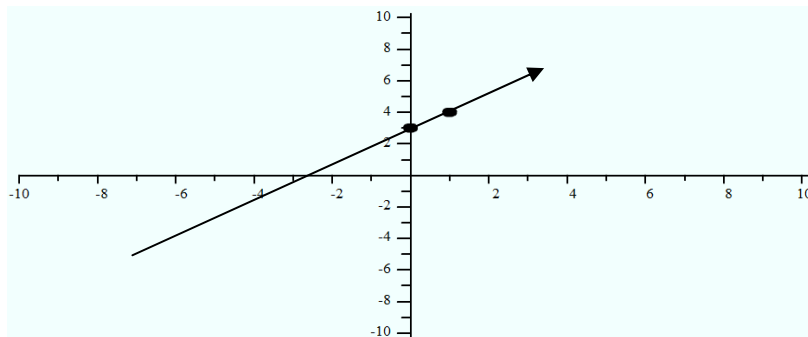
Graphing Linear Inequalities as a Half-Plane - Guided Lesson Explanation**Explanation#1**

The slope-intercept form of a linear is like the slope-intercept form of an equation ($y = mx + b$), but with an inequality symbol instead of an equals sign.

Start by graphing the boundary line, $y = x + 3$, using the slope (1) and the y-intercept (3). First plot the y-intercept at (0, 3). Then, since the slope is 1, move up 1 and right and plot a point at (1, 4).



Next connect the two points. The inequality uses the symbol \geq , so be sure to draw a solid line.



Finally, figure out which region to shade. You could remember that when inequalities start with $y >$ or $y \geq$, you should shade above the line. Or you could try a test point, such as (0,0):

$$y \geq x + 3$$



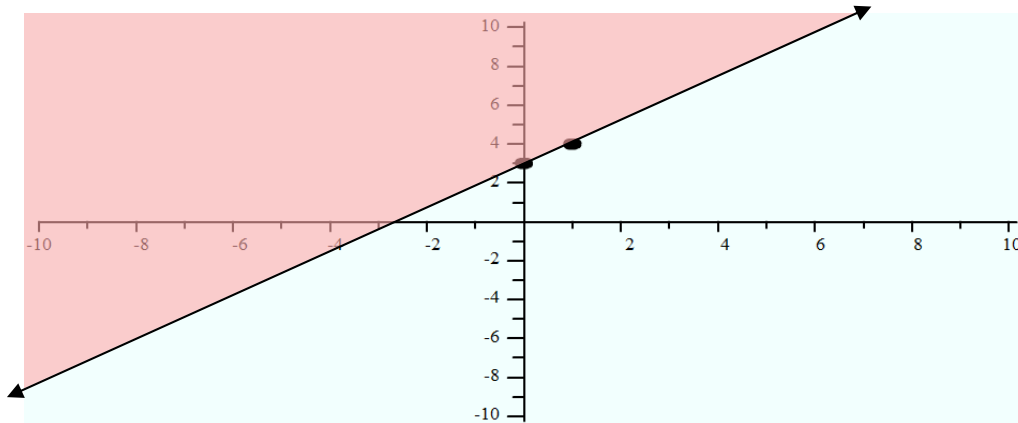
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$0 \geq x + 3$ Plug in $y = 0$; x is not used

$0 \geq 3$

The statement is false, so you should shade the region that does not contain $(0,0)$. Shade the region below the line.



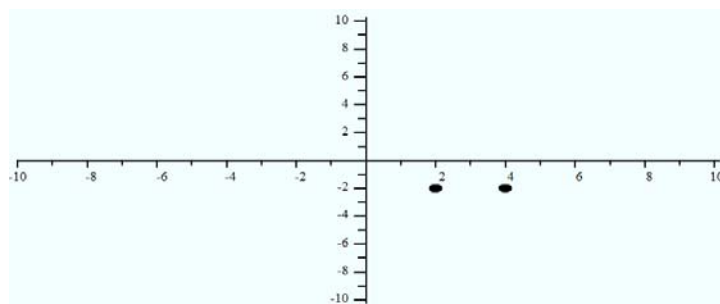
Explanation#2

Step 1) First we have to see what is being asked.

“Graph this inequality: $y < -2$ ”

Step 2) The graph of $y < -2$ is a horizontal line. Every y -value is -2 , including the y -intercept.

Start by graphing the boundary line $y = -2$. First, plot with a y -value of -2 , such as $(2, -2)$ and $(4, -2)$.

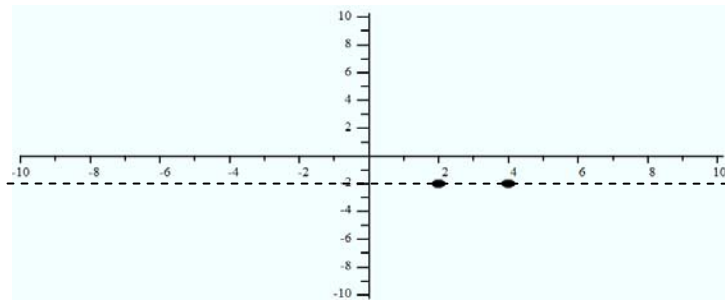


Step 3) Now connect the two points. The inequality uses the symbol $<$, so be sure to draw a dotted line.



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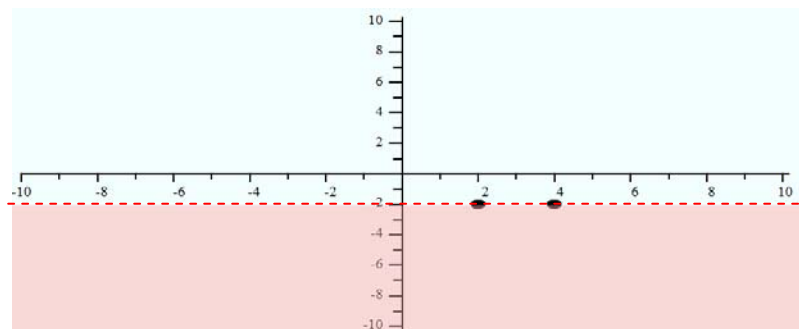


Finally. Figure out which region to shade. You could remember that when inequalities start with $y <$ or $y \leq$, you should shade below the line. Or you could try a test point, such as $(0,0)$:

$$y < -2$$

$$0 < -2 \quad \text{Plug in } y = 0; \text{ x is not used}$$

The statement is false, so you should shade the region that does not contain $(0, 0)$. Shade the region below the line.



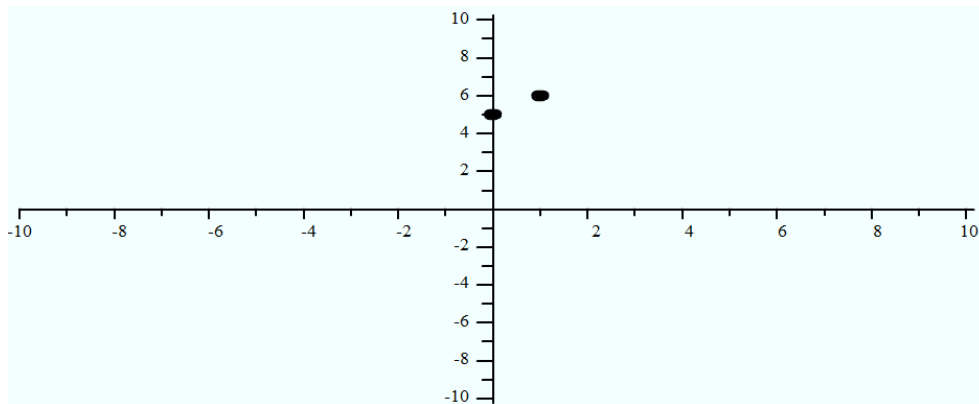
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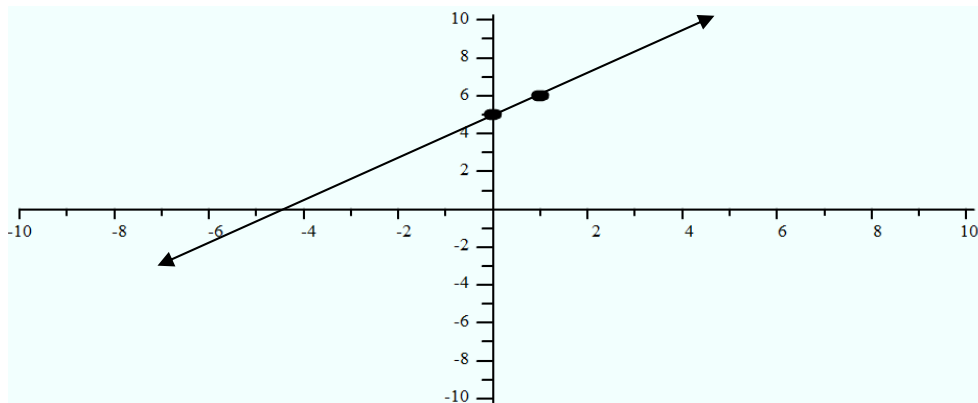
Explanation#3

the slope-intercept form of a linear inequality is like the slope-intercept form of an equation ($y = mx + b$), but with an inequality symbol instead of an equals sign.

Step 3) Start by graphing the boundary line, $y = x + 5$, using the slope (1) and the y-intercept (5). First plot the y-intercept at (0, 5). Then, since the slope is 1, move up 1 and right and plot a point at (1, 6).



Next connect the two points. The inequality uses the symbol \geq , so be sure to draw a solid line.



Finally, figure out which region to shade. You could remember that when inequalities start with $y >$ or $y \geq$, you should shade above the line. Or you could try a test point, such as (0, 0):

$$y \geq x + 5$$



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$0 \geq x + 5$ Plug in $y = 0$; x is not used

$0 \geq 5$

The statement is false, so you should shade the region that does not contain $(0, 0)$. Shade the region below the line.

