

Name \_\_\_\_\_

Date \_\_\_\_\_

## Mean, Median, and Range from Data Displays - Guided Lesson Explanation

### Explanation #1

Let's first find the position within the data of where the median lies.

$$\text{Median position} = \frac{\text{Number of element in set} + 1}{2}$$

$$\text{Step 3) } \frac{7 + 1}{2} = \frac{8}{2} = 4$$

(This means the data at the 4<sup>th</sup> position numerically in order is the median.)

1 GB      1 GB      2 GB      **3 GB**      4 GB      5GB      6 GB

Answer is: 3 GB

### Explanation #2

Once again, let's focus on finding the position of the median first and then we can arrange the data and determine its value.

$$\text{Median} = \frac{\text{Number of element in set} + 1}{2}$$

$$\text{Step 3) } \frac{5 + 1}{2} = \frac{6}{2} = 3 \quad (\text{median is at the 3}^{\text{rd}} \text{ position in the data set})$$

Jack (3)      Mike (4)      **Gordon (5)**      Paul (6)      Alien (7)

The answer is: Gordon



Name \_\_\_\_\_

Date \_\_\_\_\_

### Explanation #3

The mean is just the average. We can find this by simply applying this formula:

$$\text{Mean} = \frac{\text{Sum of elements in set}}{\text{Number of element in set}}$$

$$\text{mean} = \frac{68}{4}$$

$$\frac{68}{4} = 17$$

The median is the middle value of the data set. We can find the position the median lies within the data set by using:

$$\text{Median} = \frac{\text{Number of element in set} + 1}{2}$$

$$\text{Median} = \frac{4 + 1}{2} = \frac{5}{2} = 2.5$$

(This indicates that the median lies between the average of the second and third position in the data set)

15 , **16** , **17** , 20

(If we take the average of those two positions, we will find the median)

$$\frac{16 + 17}{2} = \frac{33}{2} = 16.5$$

The range is the easiest one. Just subtract the smallest value from the largest value in the data set.

$$\text{Range} = 20 \text{ (high)} - 15 \text{ (low)} = 5$$

